

## Ch 2.6 Measures of Position

Measures of central tendency - data in the middle

Measures of Dispersion-how the data is spread out

Measures of Position-look at where the scores sit in the set of data

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Ex1) If you took a test in English and got a 85 B- and you took a test in Stats and got 80 C, which test did you do better on?

If I told you that the  $\bar{x}$  on the English test was a 92 B+ and  $s = 2$ , and the  $\bar{x}$  on the math test was a 79 C and  $s = 5$ , would you change your mind and why?

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If you want to compare scores from one test to another, you need to see how you compare to the entire group.

z-scores - converting values into a standard scale

$$z = \frac{x - \bar{x}}{s}$$

Think of the scores similar to standard deviations  
+/-1, +/-2, and +/-3, etc.

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### Ex1) English z-score vs Math z-score

English test you got a 85 with a class mean of a 92 B+ with  $s = 2$

Math test you got an 80 with a class mean of 79 C with  $s = 5$ .

Which test did you do relatively better on?

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Ex 1b) Which person is relatively taller  
Michael Jordan verses Rebecca Lobo?

Mike = 78 inches tall      Rebecca = 76 inches tall  
men's  $\bar{x} = 69$ ,  $s = 2.8$       women's  $\bar{x} = 63.6$ ,  $s = 2.5$

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**Range Rule of Thumb**-"unusual" values are more than  
+/-2 units from the mean.

Ordinary scores:  $-2 \leq x \leq 2$

Unusual scores:  $z < -2$  or  $z > 2$

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Ex 2a) Were Michael and Rebecca's heights unusual?

Ex 2b) Is Mugsy Bogues' height unusual, if he is 5 ft 3 inches tall?

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1 Is Mrs. Schnowske's height of 5ft unusal for a women ?

Yes  
No

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Ex 2c) If a women has a z-score of 1.5, what is her height?

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Quartiles or fractiles are where the data is partitioned into approximately equal parts.

Quartiles, deciles, and percentiles are examples.  
Quartiles:  $Q_1, Q_2$ , and  $Q_3$  Divides data into 4 groups  
Deciles:  $D_1, D_2, D_3, \dots, D_9$  Divides data into 10 groups  
Percentiles:  $P_1, P_2, P_3, \dots, P_{99}$  Divides data into 100 groups

On a lot of the state testing, your results are in percentile ranking.

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Percentile =  $\frac{\text{\# of values less than } x}{\text{total values in the data set}} \bullet 100$

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Ex 3a) Find the perctile that corresponds w/ 0.8143.

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Ex 3b) Find the percentile for a can that weights 0.8161.

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When given the percentile ranking and want to find the score use this formula.

$$L = \frac{k}{100} \cdot n$$

k = percentile ranking

n = total # values in the set of data

If L = a decimal round it up and it tells how many scores to count in the set of data. If it is a whole number, find the average of that number and the next consecutive number in the set of data.

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Ex 4a) Find the weight that would be in 25th percentile or  $P_{25}$ .

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Ex 4b) Find  $P_{45}$ ?

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**1** Find the percentile for a coke can that weighs 0.8194.

Round to the nearest percent.

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**2** Find the Coke can that is in the 50th Percentile.

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Percentiles and Deciles use the same formulas

Find  $D_4 = P_{40}$

\*There are discrepancies between the deciles and percentiles. The larger the grouping the smaller the discrepancy.  $D_4$  and  $P_{40}$  were both 0. 8161.

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Figure Quartiles just like percentiles:

Ex)  $P_{25} = Q_1$ ,  $P_{50} = Q_2$ ,  $P_{75} = Q_3$

$Q_1$  = Separates the bottom 25% of the sorted values from the top 75%

$Q_2$  = median of the set of data. Divides the top and bottom 50%.

$Q_3$  = Separates the bottom 75% from the top 25%.

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Interquartile range or  $IQR = Q_3 - Q_1$

Semi interquartile range =  $\frac{Q_3 - Q_1}{2}$

Midquartile =  $\frac{Q_3 + Q_1}{2}$

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2 Find  $Q_3$  from the Coke Table:

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