## Ch 4.3 Binomial Probability Distributions

Have to have the following criteria:

- 1. fixed number of trials
- 2. trials are independent
- 3. each trial must have all outcomes classified into 2 categories.
- 4. probability must remain constant.

Apr 25-8:41 AM

Ex1) 90% of the graduates at a State University apply to medical school are admitted. This year 6 applied. Find the p(that 4 will be accepted).

formula: 
$${}_{n}C_{x} \cdot p^{x} \cdot q^{n-x}$$

#ways it can occur x p(event) x p(event)

$$_6C_4 \times .90^4 \times .10^2$$
  
.0984 about 10%

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Ex1b) The probability a car parked out in from of its house on the street gets stolen is 1/120. What is the probability **no cars get stolen** if there are 5 cars on the street?

$$_5C_0 \times (1/120)^0 \times (119/120)^5$$
  
= .9590 about 96%

P(1 gets stolen)

$${}_{5}C_{1} \times (1/120)^{1} \times (119/120)^{4}$$
  
= .0403 about 4%

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Try#1. Find the probability 8 out of 10 kids pass the exam if the probability of passing is 95%.

.074

Apr 25-11:47 AM

Ex2a) Your taking a multiple choice test with 5 questions each having 4 possible answers. If you guess on everyone, what is the probability you'll get at least 4 correct)?

$$_{5}C_{4} \ x \ (1/4)^{4} \ \ x \ (3/4)^{1} \ + \ _{5}C_{5} \ x \ (1/4)^{5} \ x \ (4/5)^{0}$$

1/64

Ex2b) Shipment of 100 tires have 20 defects. What is the probability 5 selected at random and each tire is replaced that **at most 2 are defective**?

$$P(0) + P(1) + P(2)$$
 are defective

$$P(0) = {}_{5}C_{0} \times (1/5)^{0} \times (4/5)^{5} = 1024/313$$

$$P(1) = {}_{5}C_{1} \times (1/5)^{1} \times (4/5)^{4} = 1280/312$$

$$P(2) = {}_{5}C_{2} \times (1/5)^{2} \times (4/5)^{3} =$$

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Ex1c) At least one tire is defective?

1 - (no defects)<sup>5</sup>

 $1-({}_{5}C_{0} \times (1/5)^{0} \times (4/5)^{5})$  .67232

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Try#2. You have 4 batteries and you know two of the 4 batteries are bad, but don't know which two. If you need to select 3 batteries for your controller, what is the probability you will get at least 2 good batteries?

.625

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